## DEVELOPMENT OF A PC-BASED RADIATIVE TRANSFER MODEL

and its application to IASI CH<sub>4</sub> retrievals

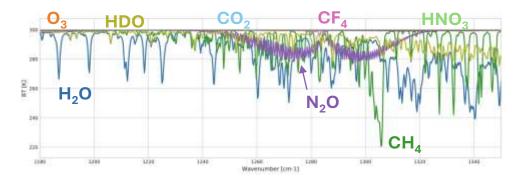
C. Robert, S. Vandenbussche, A.C. Vandaele, J. Erwin, M. De Mazière



# SPEED

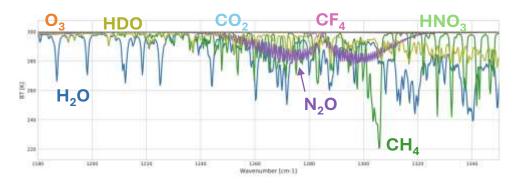
### Retrieval of methane in the TIR

Top-of-Atmosphere BT contributions from different species

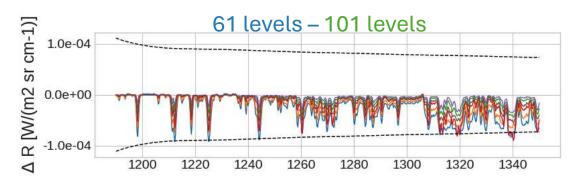


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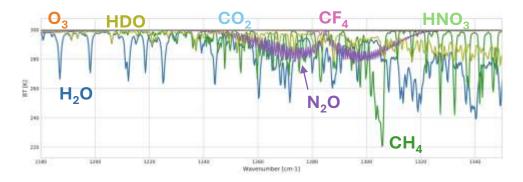


### Spectral residuals due to undersampling of model vertical discretization

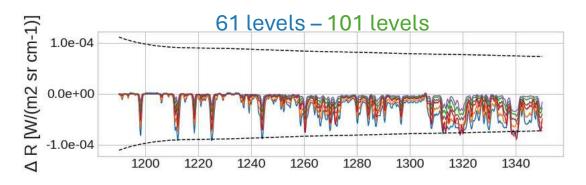


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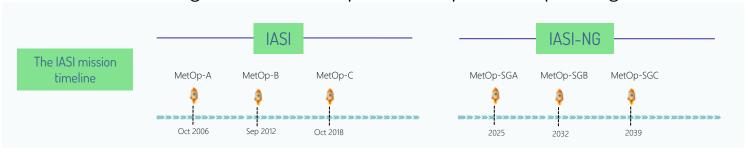
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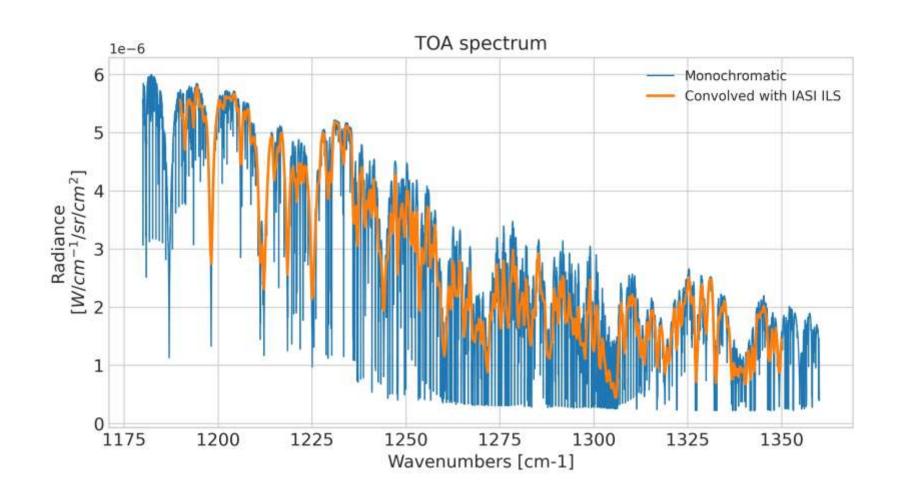
### Spectral residuals due to undersampling of model vertical discretization



#### Large data volume to process / reprocess / upcoming



### Conventional RTM



#### For CH<sub>4</sub> retrievals

1190 - 1350 cm<sup>-1</sup>

60 000 monochromatic calc.

641 IASI channels

(Also outputs Jacobians)

The number of independent pieces of information is much less than the number of monochromatic radiances <sup>99</sup>

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1. The convolved spectra can be reconstructed with good accuracy using a few Principal Components ( $\mathbf{U}_i$ )

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Typically,  $N_{mono} \ll 60000$ 

#### **Pros**

10-100x faster than conventional RTM

Based on direct physical modelling

Can be used with any monochromatic RTM code

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#### Goal

Provide a framework for construction of the PCRTM model in a more systematic way

**Research Article** Vol. 55, No. 29 / October 10 2016 / Applied Optics applied optics Development of a fast and accurate PCRTM radiative transfer model in the solar spectral region Xu Liu,1,\* Qiguang Yang,2 Hui Li,2 Zhonghai Jin,2 Wan Wu,2 Susan Kizer,2 DANIEL K. ZHOU, AND PING YANG <sup>1</sup>NASA Langley Research Center, Hampton, Virginia 23681, USA <sup>2</sup>Science Systems and Applications, Inc., Hampton, Virginia 23666, USA <sup>3</sup>Department of Atmospheric Sciences, Texas A&M University, College Station, Texas 77843, USA \*Corresponding author: xu.liu-1@nasa.gov Received 16 June 2016; revised 16 August 2016; accepted 6 September 2016; posted 9 September 2016 (Doc. ID 268547); published 5 October 2016

### HOW TO PCRTM?

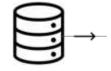
Build a database of high-resolution AND convolved spectra (training / testing)

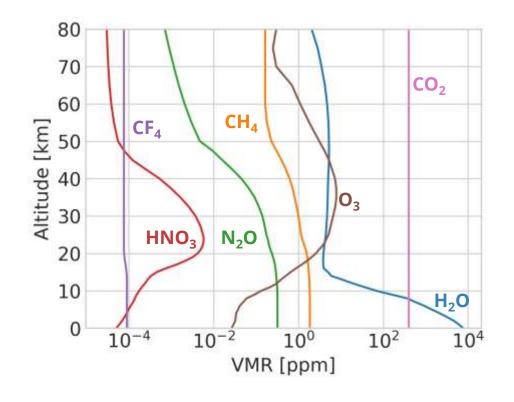
#### Sources of diverse atmospheres

- AFGL
- ECMWF 83 diverse profiles\*
- MACC60L profiles \*
- ACE-FTS
- Models (WACCM)

+ varied observational parameters: SZA, VZA, emissivity ...

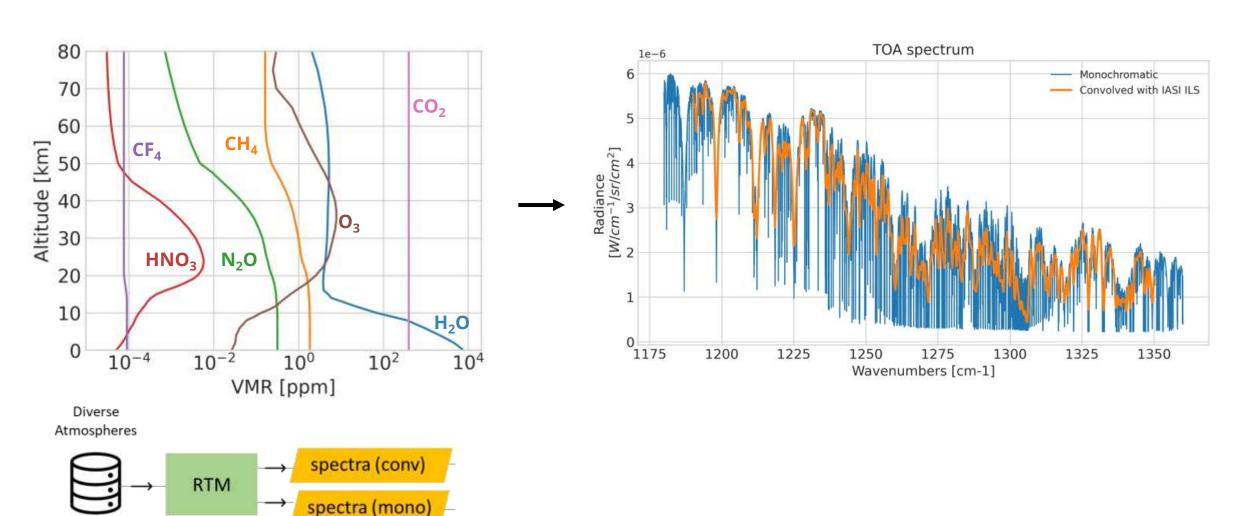
Diverse Atmospheres



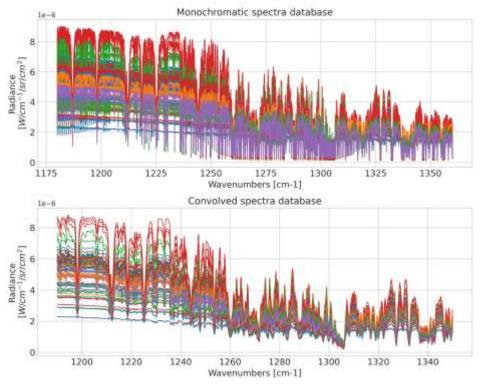


60 000

Build databases of high-resolution AND convolved spectra for training and testing



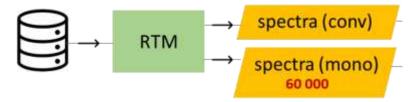
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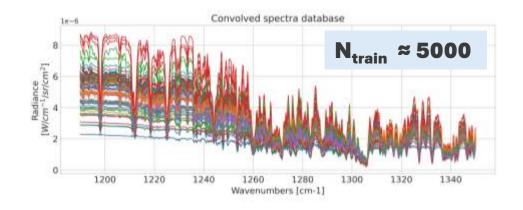
N<sub>train</sub> ≈ 8000

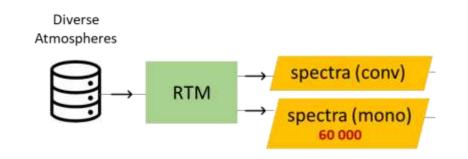
N<sub>test</sub> ≈ 3000

Diverse Atmospheres

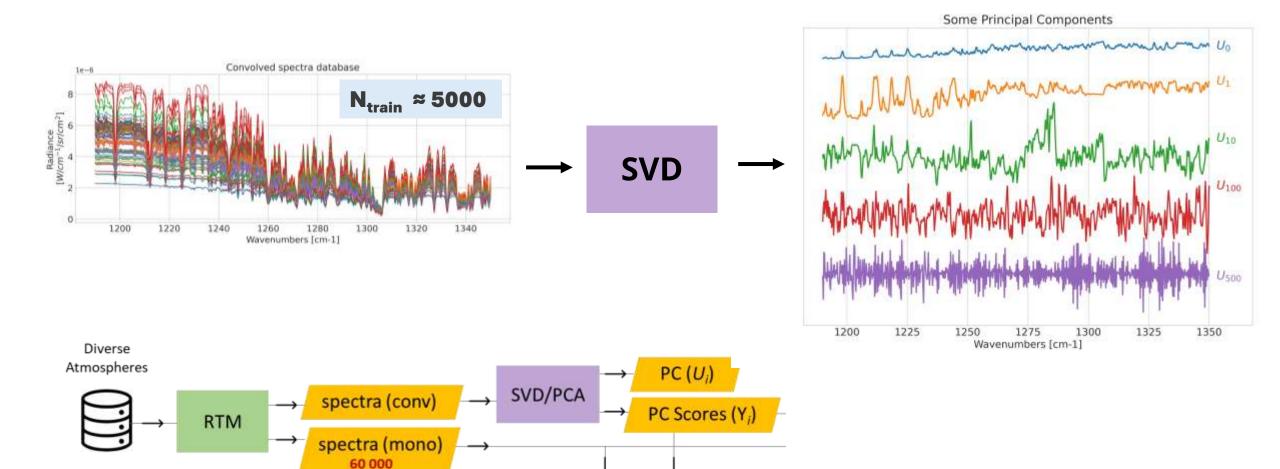


Extract the principal components and associated scores



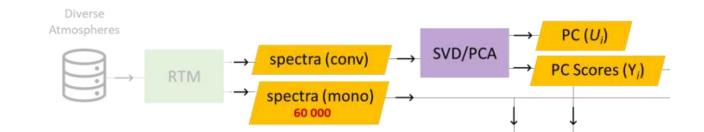


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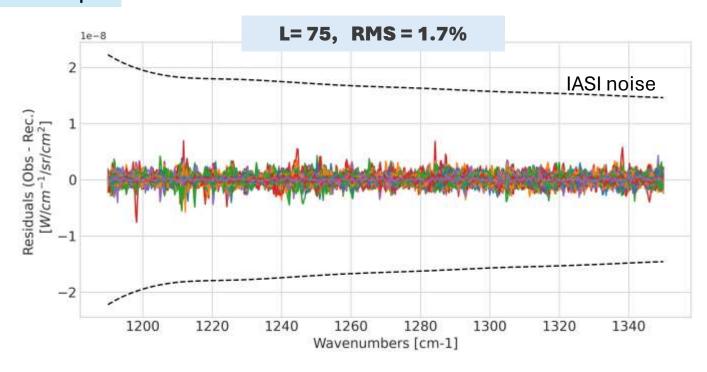
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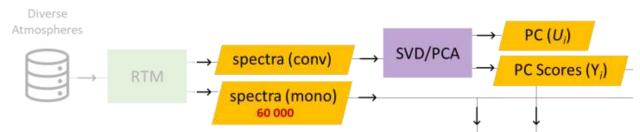
How many PCs to keep?



Extract the principal components and associated scores

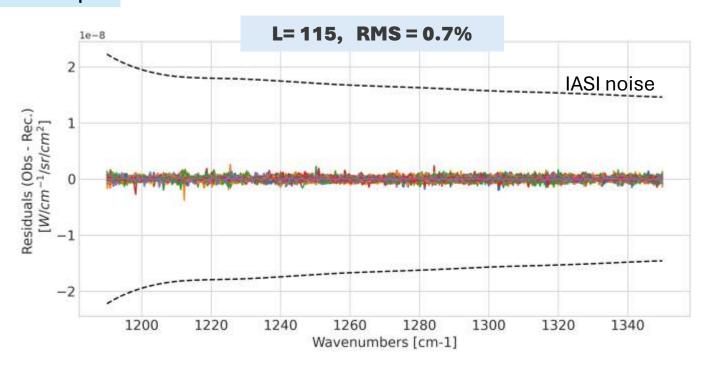
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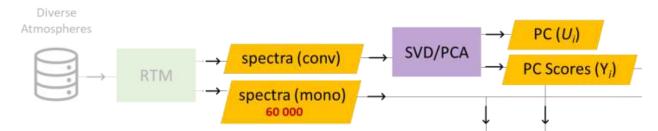




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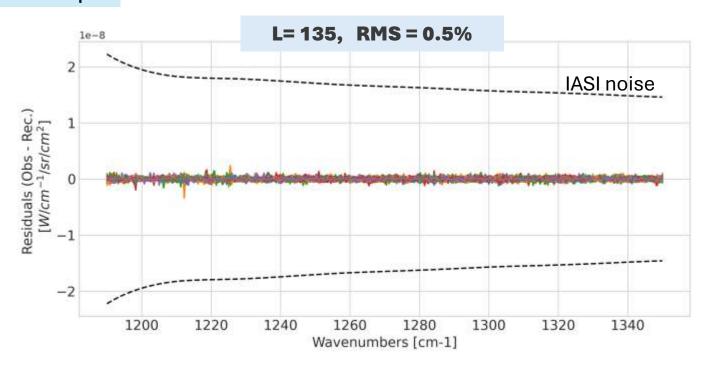
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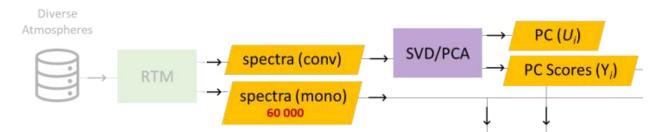




Extract the principal components and associated scores

How many PCs to keep?





Choose the monochromatic features to best model the PC scores

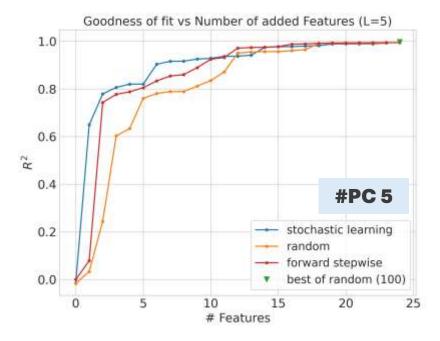
$$\mathbf{Y}_i = \left(\sum_{j=1}^{N_{mono}} \mathbf{a}_j \, \mathbf{R}_j^{\,mono}\right)$$

For each Principal Component  $\mathbf{U}_i$ , we need to find the (optimal) monochromatic radiances  $\mathbf{R}_j^{mono}$  to reconstruct the PC scores  $\mathbf{Y}_i$ 

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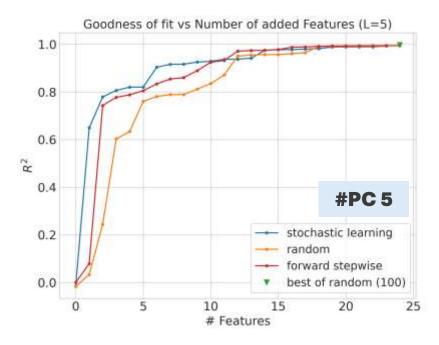
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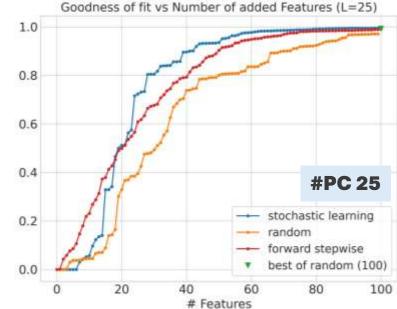


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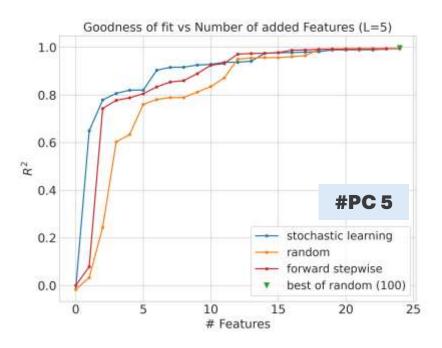


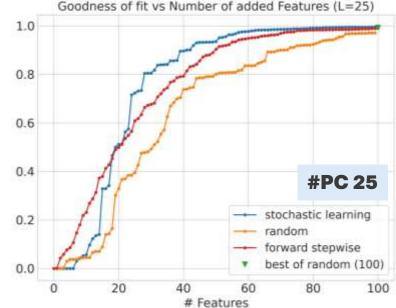


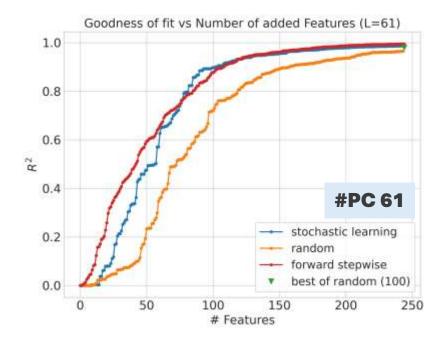
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### Choose the monochromatic features to best model the PC scores

#### When are we satisfied with our model fit?

 $\rightarrow$  What R<sup>2</sup> value should we set as threshold?

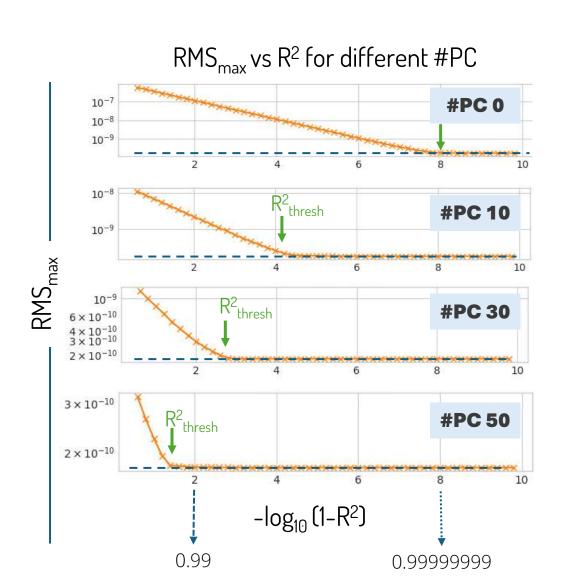
#### For a given PC #i:

- Add noise to PC scores Y; to model different values of R<sup>2</sup>

$$\mathbf{Y_{i}^{noisy}} = \mathbf{Y_{i}} + \sigma \; ; \qquad \sigma = \sqrt{(\frac{TSS \cdot (1 - R^2)}{N_{Y}})}$$

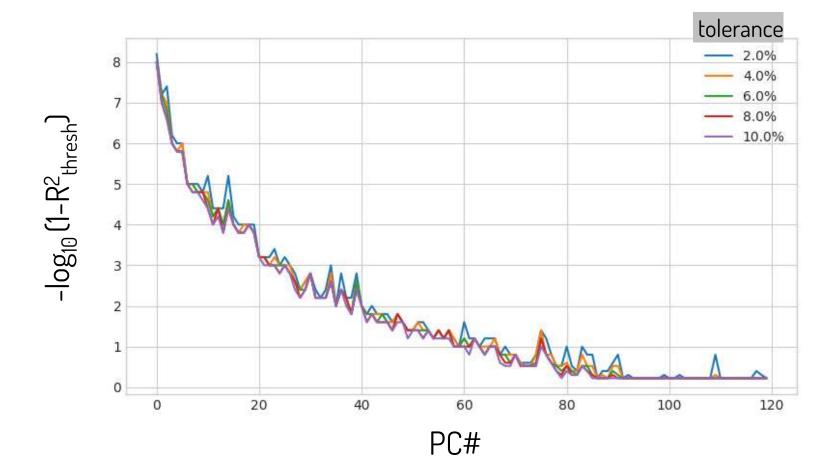
- Keep original scores fixed for all other PCs  $\{Y_k, k \neq i\}$
- Reconstruct the radiances
- Calculate RMS<sub>max</sub> of the spectral residuals

We can define:  $R^2_{thresh}(PC\#)$ 



Choose the monochromatic features to best model the PC scores

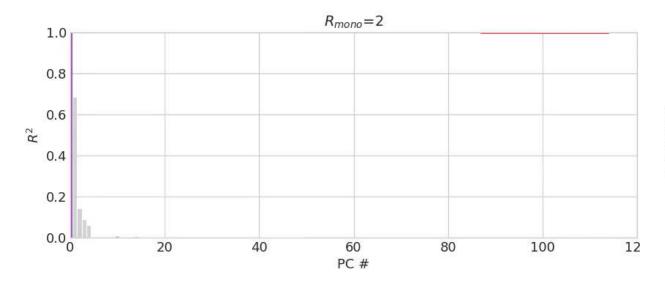
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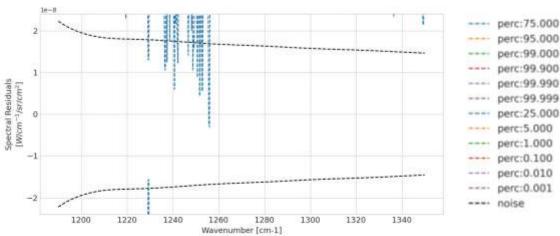


Choose the monochromatic features to best model the PC scores

How to aggregate the  $R_{mono}$ ?

ightarrow First: cycle through PCs adding a few (2)  $R_{mono}$  for each PC that best fit the data, aggregating the  $R_{mono}$ 

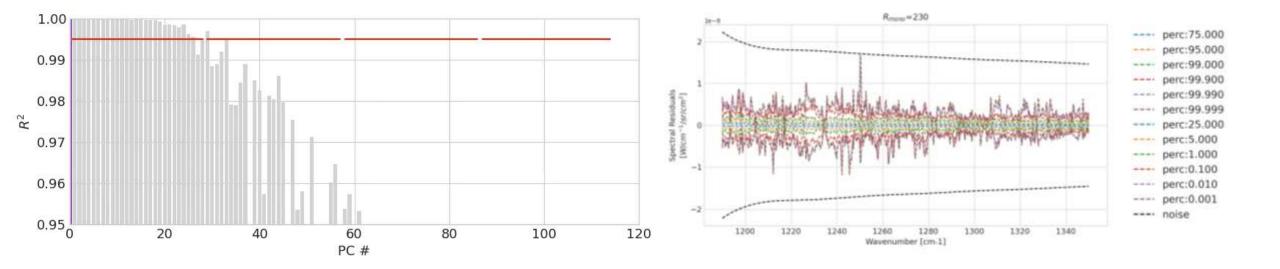




Choose the monochromatic features to best model the PC scores

How to aggregate the  $R_{mono}$ ?

 $\rightarrow$  Second: cycle through PC adding a  $R_{mono}$  for each PC until R<sup>2</sup> threshold is reached



### Jacobians for profile retrievals

#### Numerical Jacobians?

- For CH<sub>4</sub> retrievals: ~100 RTM calculations needed
- Only a 4x speed improvement compared with monochromatic RTM with analytical jacobians

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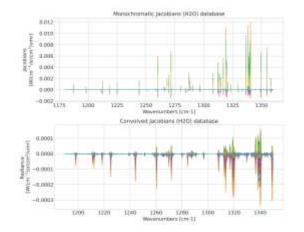
#### What is the alternative?

- Similar approach as the radiance
- Assume that the convolved jacobians can be calculated as a function of the monochromatic jacobians, independent of the layer
- Each molecular Jacobians will have its own set of PCs

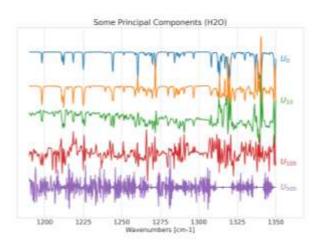
### Jacobians

#### For each molecule:

#### Jacobians database



### PC extraction (SVD)

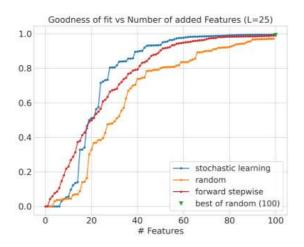


### How many PC to keep?

Reconstruction of analytical Jacobians using  $N_{PC}$  in retrieval scheme until difference in retrieval results is minimal

 $\Delta \chi^2 < 0.005$  $\Delta x < 0.1\%$ 

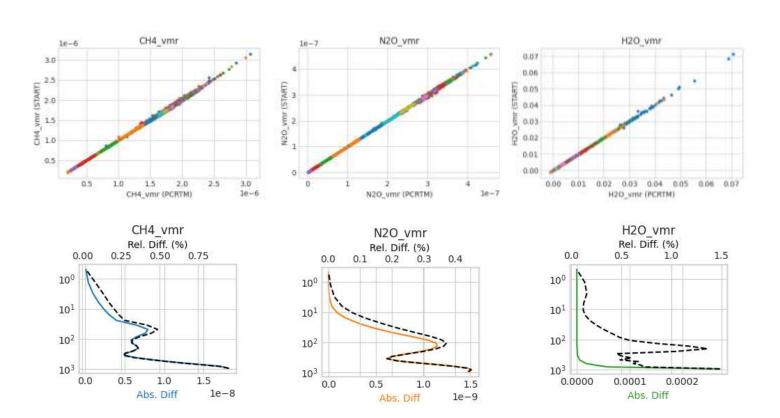
#### Rmono selection

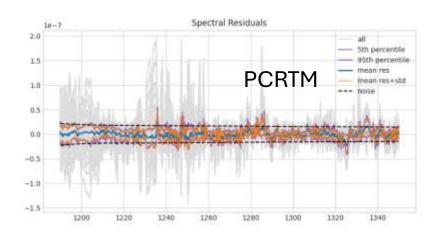


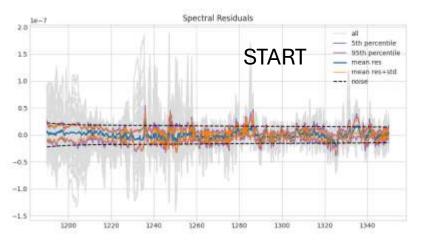
Finalize and test your model (radiance + jacobians) based on final ensemble of selected  $R_{mono}$ 

#### Retrievals Comparison: START vs PCRTM

→ For 500 random IASI observations







Finalize and test your model (radiance + jacobians) based on final ensemble of selected  $R_{mono}$ 

#### How long to build the PCRTM model?

- → ~1 day for radiance/jacobians generation
- $\rightarrow$  ~ a few hours for R<sub>mono</sub> selection and PCRTM model parameter fits

#### Speed comparison: START vs

 $\begin{array}{c} \text{PCRTM} \\ \rightarrow \Delta t_{\text{START}} / \Delta t_{\text{PCRTM}} \text{ (Radiance only)} = 60 \end{array}$ 

 $\rightarrow \Delta t_{START} / \Delta t_{PCRTM}$  (rad + jacobians) = 95

#### Conclusions

- → Congrats! Now you can build your very own PCRTM model!
- → Increase your retrievals speed by a factor of 40 100 (depending on the problem)
- → You can use your own RTM set-up (model levels, spectroscopy, spectral resolution, etc)
- → Reconstruct Radiances and Jacobians for the entire spectral range from a handful of monochromatic simulations
- → A good fit for operational/NRT processing



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